



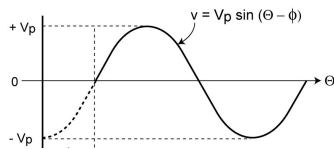
Frequency Domain View of Electronic Signals: Practical Application of the Fourier Theory

Objectives: The Sine Wave and the Time Domain

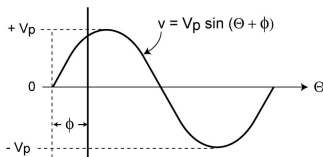
1. Describe how the term time domain applies to electronic signals.
 2. Explain the trigonometric expression that represents a sine wave in the time domain.
 3. Determine the instantaneous voltage (v) when given the peak voltage value and frequency.
 4. Convert time into an angle θ (θ).
 5. Define lead and lag as they apply to the phase of a sine wave.
 6. Identify the mathematical expression of a sine wave.
 7. Identify the mathematical expression of a cosine wave.
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1. What piece of equipment is used to view a time domain signal?
 - a. Oscilloscope
 - b. Phase meter
 - c. Pulse generator
 - d. Spectrum analyzer
 2. Complete the following: Time domain as it applies to electronic signals is the
 - a. Length of time it takes a signal to reach its peak value
 - b. Plot of the amplitude of the sine/cosine harmonic components
 - c. Presentation of time variations over frequency
 - d. Presentation of voltage variations over time
 3. In a plot of a wave, _____ is shown on the horizontal axis and _____ is on the vertical axis.
 - a. Time, voltage variation
 - b. Voltage variation, time
 4. Use the mathematical expression ($V = V_P \sin 2\pi ft$) for a sine wave to determine the instantaneous voltage (V) at $70 \mu\text{s}$ in a 5 kHz sine wave with a peak value (V_P) of 6 volts.
 - a. 4.59 volts
 - b. 4.85 volts
 - c. 5.67 volts
 - d. 6.13volts
 5. Three (3) rads equals
 - a. 119.3°
 - b. 171.9°
 - c. 249.4°
 - d. 326.8°



6. In the mathematical expression for a sine wave in the time domain, what is ωt ?
- A cosine angle
 - An angle expressed in radians
 - The phase angle that represents lag
 - The phase angle that represents lead



7. _____ represents a _____ sine wave.
- Lagging
 - Leading



8. _____ represents a _____ sine wave.
- Lagging
 - Leading

9. Which of the following is the mathematical expression of a cosine wave?
- $v = V_p \cos(\omega t \pm \phi)$
 - $v = V_p \cos(\theta \pm \phi)$
 - $v = V_p \sin(\omega t \pm \theta)$
 - $v = V_p \sin(\phi \pm \omega t)$
10. A cosine wave has exactly the same shape as a sine wave and is offset by
- One eighth of a cycle (45°)
 - One quarter of a cycle (90°)
 - One half of a cycle (180°)
 - One cycle (360°)